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# Machine learning-based prediction and optimization of plasma-based conversion of CO<sub>2</sub> and CH<sub>4</sub> in an atmospheric pressure glow discharge plasma<sup>†</sup>

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We developed a uniform, hybrid machine learning (ML) model, integrating both supervised learning (SL) and reinforcement learning (RL), based on several datasets across different CO<sub>2</sub> and CH<sub>4</sub> conversion reactions in an atmospheric pressure glow discharge plasma, to advance plasma-based CO<sub>2</sub> and CH<sub>4</sub> conversion. Given its complex and dynamic characteristics, the SL model employs artificial neural networks (ANN) to predict performance, demonstrating excellent alignment with the entire experimental data. The RL model subsequently provides the optimization protocol, which prioritizes coarse adjustments to high-impact parameters then fine-tuning low-impact ones, to obtain the best performance. Furthermore, we also investigated the simultaneous optimization of the syngas ratio (SR) and energy cost (EC), resulting in a maximum SR of 2.12, combined with a minimum EC (syngas) of 2.04 eV per molecule (*i.e.*, 352 kJ mol<sup>-1</sup>), which is close to the best experimental data obtained for further methanol synthesis, when accounting for suitable weighting between SR and EC in the model. Our study emphasizes the importance of interpreting ML results based on prior knowledge and human analysis. We hope this work encourages a more critical view on the application of ML when studying plasma-based gas conversion.

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#### **Green foundation**

1. This work presents a uniform and hybrid machine learning (ML) model across different  $CO_2$  and  $CH_4$  conversion reactions in an atmospheric pressure glow discharge plasma, with high accuracy and adaptivity.

2. Our supervised learning (SL) model can accurately predict the performance in the entire experimental dataset. Our reinforcement learning (RL) model can simultaneously maximize the syngas ratio and minimize energy cost, accounting for specific weighting between them.

3. ML is promising for prediction, within the dataset domain, but may give different optimization outcomes than those of the experiments across a wider dataset. Therefore, more data are expected to become available to enhance the applicability of ML models in the future.

# 1. Introduction

Carbon dioxide  $(CO_2)$  and methane  $(CH_4)$  are the two major greenhouse gases that significantly contribute to climate

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$$CH_4 + CO_2 \rightarrow 2CO + 2H_2, \quad \Delta H_0 = 247.3 \text{ kJ mol}^{-1}$$
 (1)

Syngas is an important mixture of reactants used to produce small organic compounds, which depend on the syngas ratio (SR, *i.e.*,  $H_2/CO$  ratio).<sup>4,5</sup> For example, an SR of 2 is optimal for the Fischer – Tropsch process to create carbonneutral fuels and lubricants when using a cobalt catalyst,<sup>6</sup> while an SR of around 1 is also suitable when using an iron catalyst,<sup>7</sup> but in general the optimal SR can vary between 1.7 and 2.15.<sup>8</sup> Also, an SR of 2 is considered as optimal for produ-

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change.<sup>1</sup> Currently, there is an urgent need for the conversion of  $CO_2$  and  $CH_4$  into value-added chemicals or fuels.<sup>2,3</sup> The basic reaction is known as the dry reforming of methane (DRM), yielding valuable syngas (*i.e.*, CO and H<sub>2</sub>, theoretically in a 1:1 ratio), as shown in eqn (1):

cing methanol, which facilitates a "methanol economy"<sup>9</sup> due to its higher energy density (compared to  $H_2$ ), to be used in polymer chemistry and direct methanol fuel cells.<sup>9,10</sup>

Many technologies are being investigated for CO<sub>2</sub> and CH<sub>4</sub> conversion.<sup>11,12</sup> One of the innovative technologies gaining increasing attention is plasma technology. Plasma is a (partially) ionized gas, and the electrons can generate various reactive species, such as atoms, ions, radicals, and molecules in both vibrational and electronic excited states. This reactive chemical cocktail allows stable gas molecules like CO2 and CH<sub>4</sub> to be activated and dissociated at mild temperature and pressure.<sup>13</sup> Furthermore, plasma is generated with electricity, and can be immediately switched on and off, thus enabling its integration with the fluctuating nature of renewable energy sources. Indeed, a recent techno-economic analysis demonstrated that the energy cost (EC) of plasma-based CO<sub>2</sub> conversion is 43% less than that for electrolysis and conventional CO<sub>2</sub> conversion methods, achieving additional CO production from  $O_2$  and enhanced  $CO_2$  conversion using a post-plasma carbon bed.14

Various plasma types have been studied for DRM.<sup>8,15-22</sup> To be competitive with traditional technologies, the EC should be below the threshold of 4.3 eV per molecule, defined by Snoeckx and Bogaerts.<sup>11</sup> To achieve this, warm plasmas, like gliding arc, microwave, spark discharge and atmospheric pressure glow discharge (APGD), have shown promising results. Wanten et al. used a confined APGD (cAPGD) plasma reactor for DRM, and were able to convert 64% of CO<sub>2</sub> and 94% of CH<sub>4</sub>, at an EC of 3.5-4 eV per molecule, but they reached an SR of only 0.2-0.7.23 To further reduce the EC, Maerivoet et al. investigated oxidative CO2 reforming of methane (OCRM) in the same cAPGD, and reported that O<sub>2</sub> addition to the CO<sub>2</sub>/CH<sub>4</sub> mixture could allow an even lower EC of 2 eV per molecule to be reached.<sup>24</sup> However, the SR was still limited to ca. 0.8, making it difficult to produce methanol from syngas. To increase the SR, H<sub>2</sub>O could act as an additional source for H2.25 Therefore, Wanten et al. also investigated so-called bireforming of methane (BRM) in the cAPGD, and found that adding H<sub>2</sub>O to the CO<sub>2</sub>/CH<sub>4</sub> mixture increases the SR to 2, although it negatively affects the EC, which reaches a minimum value of 3.9 eV per molecule.<sup>26</sup> Therefore, combining an optimal SR with low EC in APGD plasma reactors is really challenging due to many interacting parameters that are inherent to the complexity of plasma-based gas conversion systems.

To overcome these challenges, machine learning (ML) methods present a novel tool to efficiently investigate complex scientific phenomena.<sup>27</sup> Generally, ML can be mainly divided into several categories: a supervised learning (SL) model establishes a relationship between the input parameters and the desired output performance for static prediction, while a reinforcement learning (RL) model is a goal-oriented method, which involves a decision-making process, by mapping actions for dynamic optimization. An unsupervised learning (UL) model involves training models on unlabeled data to discover hidden patterns, while a self-supervised learning model, which is a subset of UL, generates labels automatically from the data, enabling models to learn robust representations.

These methods are gaining significant traction across diverse applications, including use in plasma medicine,<sup>28-30</sup> chemical synthesis,<sup>31–34</sup> and emissions control,<sup>35</sup> and they have also started to be applied in plasma-based gas conversion, specifically in dielectric barrier discharge (DBD) plasmas.<sup>36-40</sup> For instance, Liu et al. accurately predicted the reaction performance in plasma-based CH<sub>4</sub> conversion to hydrocarbons using an artificial neural network (ANN) model,<sup>36</sup> while Zhu et al. investigated how various operating parameters affect the performance of CH<sub>3</sub>OH oxidation.<sup>37</sup> Similarly, Wang et al. revealed a relationship between process parameters and performance targets in the plasma-based DRM to oxygenates.38 Recently, Cai et al. developed a hybrid SL model to identify the optimal conditions for maximum energy efficiency in plasmacatalytic DRM.<sup>39</sup> We went one step further, and developed the very first RL model for process optimization of plasma-catalytic DRM.<sup>40</sup> The reason that all these ML approaches were applied to DBD plasmas is because of the much larger datasets available. However, DBD plasmas exhibit limited performance compared to so-called warm plasmas; for instance, their EC is often excessively high.41,42

Optimization of the operating conditions of plasma-based CO<sub>2</sub> and CH<sub>4</sub> conversion typically leads to trade-offs among conflicting objectives (e.g., higher conversion vs. higher SR vs. higher energy efficiency<sup>11,23,24,26</sup>) and traditional trial-anderror efforts might have reached their limit. To achieve a costeffective plasma-based gas conversion system with optimal reaction performance, a thorough understanding is needed on how the interconnected operating parameters can be dynamically optimized. To our knowledge, no studies have considered the prediction and optimization of plasma-based CO2 and CH4 conversion in warm plasmas, such as an APGD, by means of an ML method. Typically, optimizing the chemical performance using an ML approach requires a consistent, relevant, and sufficient amount of data for accurate prediction. However, experimental data for warm plasmas (like APGD) are limited in each separate study. Moreover, experimental data from different groups cannot be directly compared, as they are evaluated under different reaction conditions using different setups.<sup>43</sup> Therefore, developing a uniform ML model for warm plasmas (such as an APGD) may be challenging, due to the lack of available datasets.

In previous work, the PLASMANT group investigated in detail DRM,<sup>23</sup> OCRM<sup>24</sup> and BRM<sup>26</sup> in a cAPGD plasma reactor. These three reactions are important for the simultaneous conversion of CO<sub>2</sub> and CH<sub>4</sub>, while the addition of O<sub>2</sub> and H<sub>2</sub>O (*i.e.*, OCRM and BRM, respectively) helps to improve the reaction performance, as explained above. Hence, they can be considered as two extra input parameters in ML model development, thus enlarging the size of the available dataset. Moreover, the latter allows us to test the applicability of ML across widely varying datasets. In addition, the reactor design for the DRM, OCRM and BRM reaction was the same, although a slightly upgraded version of the reactor was used for BRM, using a movable cathode to allow lower ignition voltages. Changing the interelectrode distance changes the residence

#### Paper

time of the molecules in the plasma, but this was found to have no impact on the performance when compared with the fixed cathode case (*i.e.*, the APGD reactor used in DRM and OCRM) within a sufficiently wide range. Therefore, the data collected in BRM, together with the DRM and OCRM reactions, can be used for developing a consistent ML model. Compared with an SL model, an RL model is more suitable for simultaneous multi-objective optimization, through its dynamic and interactive learning capabilities.

In the present work, we therefore design a uniform, hybrid ML (SL + RL) model for both prediction and optimization of plasma-based conversion of  $CO_2$  and  $CH_4$  in a cAPGD reactor, particularly aiming to increase the SR, making it useful for further methanol production. Specifically, we developed the SL (prediction) model for the reaction performance (*i.e.*,  $CO_2$  and  $CH_4$  conversion,  $H_2$  and CO yield, SR, and EC) using an artificial neural network (ANN) algorithm. Furthermore, we designed an RL model to simultaneously maximize the SR and minimize the EC, using the SL model as a simulation environment for learning interactions. This work provides new insights into multi-objective optimization in warm plasma reactors for gas conversion applications.

# 2. Methodology

In this work, we used two ML methods, *i.e.*, SL and RL, to develop a model for plasma-based conversion of  $CO_2$  and  $CH_4$  in an APGD reactor, as schematically illustrated in Fig. 1, and elaborated on in detail in subsequent sections. All abbreviations relevant to these methods can be found in the ESI (section 1, Table S1<sup>†</sup>).

#### 2.1 Data collection and processing

Fig. S1 in the ESI (section  $2^{\dagger}$ ) shows the experimental setup of the cAPGD reactor for CO<sub>2</sub> and CH<sub>4</sub> conversion, which is described in detail in ref. 23, 24, and 26. By varying the input parameters, including the CO<sub>2</sub>/CH<sub>4</sub> ratio, O<sub>2</sub> fraction, H<sub>2</sub>O fraction, total flow rate and plasma power, the output parameters, *i.e.*, CO<sub>2</sub> conversion, CH<sub>4</sub> conversion, CO yield, H<sub>2</sub> yield, SR and EC, were collected as the dataset. To allow a fair investigation among the DRM, OCRM and BRM reactions, the EC was expressed in eV per molecule syngas produced (*i.e.* CO and H<sub>2</sub> combined, with the SR under the corresponding conditions), because syngas serves as the product shared among all reactions. We investigated 84 distinct reaction conditions to



**Fig. 1** Overview of the ML model for plasma-based  $CO_2$  and  $CH_4$  conversion in an APGD reactor. The SL (prediction) model acquires a function f(x), mapping inputs x to outputs y, while the RL (optimization) model involves mapping states to actions, based on policy ( $\pi$ ). Abbreviations:  $a_t$  (action),  $r_t$  (reward),  $s_t$  and  $s_{t+1}$  (state).

cover the key metrics of the reaction performance, and also to ensure stable and reliable plasma conditions. The collected data, listed in Tables S1 and S2,† were used for training the ML model. Before the model development, all datasets were pre-processed by a min-max normalization method. The complete dataset was divided into a 75% training subset and a 25% testing subset.

To mitigate risks of overfitting and enhance the model's generalizability beyond the training data, we adopted a 5-fold cross-validation method due to the limited size of the dataset. This technique involves randomly dividing the data into five distinct subsets, iteratively training the model on four subsets and testing (validating) it on the fifth. Each subset serves as the test (validation) set exactly once across the five iterations, ensuring evaluation of performance consistency.

# 2.2 Description of the SL model: an artificial neural network (ANN)

An ANN, a well-established algorithm used in SL, was employed to predict the performance of plasma-based conversion of  $CO_2$  and  $CH_4$  across diverse operating conditions, leveraging its demonstrated capacity to model complex non-linear relationships.<sup>38</sup> The ANN architecture comprises interconnected artificial neurons with adjustable weights, which act as learnable parameters to drive the model's training. Generally, the model consists of multiple layers, where each node encodes specific features of the input–output relationships. In this study, a fully connected architecture was adopted. The five predefined operating parameters served as inputs, while the six target performance metrics were designated as outputs.

To refine the neural network parameters, we employed the backpropagation (BP) algorithm, leveraging gradient descent, as indicated in ref. 44. The ReLU activation function was employed to address complex nonlinear relationships and mitigate gradient vanishing issues. For loss computation, the mean squared error (MSE) metric was selected to enhance the efficiency of gradient descent, promoting rapid convergence and stability in regression tasks. Furthermore, the performance of the model was rigorously assessed using two complementary metrics: MSE, which quantifies the prediction error magnitude, and the coefficient of determination ( $R^2$ ), which evaluates the proportion of variance explained by the model. These metrics were calculated for both training and testing phases to ensure robustness and generalizability:<sup>45</sup>

$$MSE = \frac{1}{n} \sum_{i=1}^{n} (y_i - \hat{y}_i)^2$$
 (2)

$$R^{2} = 1 - \frac{\sum_{i=1}^{n} (y_{i} - \hat{y}_{i})^{2}}{\sum_{i=1}^{n} (y_{i} - \bar{y})^{2}}$$
(3)

where  $y_i$  is the actual value,  $\hat{y}_i$  is the predicted value and  $\bar{y}$  is the mean of the actual value. In general, achieving high model accuracy typically requires maximizing  $R^2$  and minimizing the

MSE.<sup>46</sup> To optimize the ANN model, we utilized a grid search strategy for hyperparameter tuning—a method well-suited for systematically exploring complex parameter spaces in multi-layered architectures.<sup>47</sup> After identifying the optimal hyperparameters (see MSE trends illustrated in Fig. S2†), the finalized ANN configuration is presented in detail in Table 1.

#### 2.3 Algorithm comparison

To identify the optimal predictive model, two other ML algorithms, namely support vector regression (SVR) and regression trees (RT), were selected for comparison. SVR, a robust methodology for nonlinear regression, constructs hyperplanes in high-dimensional feature spaces, offering distinct advantages for scenarios involving limited sample sizes, nonlinear relationships, or complex dimensionality. The RT model, another classical supervised regression algorithm, operates by iteratively partitioning the dataset through feature-based splits, guided by statistical significance, until predefined termination conditions are satisfied. The hyperparameters of the models are shown in Table. S4.<sup>†</sup>

#### 2.4 Methods of significance analysis

The linear relationships between input variables were assessed using Pearson's correlation coefficient (PCC), a metric ranging from -1 (indicating a negative correlation) to +1 (indicating a positive correlation). The PCC is defined as:<sup>48,49</sup>

$$\rho_{xy} = \frac{\sum (x_i - x_{mean})(y_i - y_{mean})}{\sqrt{\sum (x_i - x_{mean})^2 \sum (y_i - y_{mean})^2}}$$
(4)

where  $\rho_{xy}$  represents the PCC value between the input feature and the output target,  $x_{\text{mean}}$  indicates the average of the input feature *x* and  $y_{\text{mean}}$  indicates the average of the output target *y*, respectively. By analyzing the magnitude of the PCC values (*i.e.*, their absolute values), the relative importance of the five operating parameters on the chemical performance was evaluated.

# 2.5 Description of the RL model: proximal policy optimization (PPO)

SL methods learn to predict patterns, but they do not inherently execute actions or make decisions. In contrast, RL models learn an optimal decision policy by actively interacting

Parameter	ANN model
Number of input layers	5
Number of hidden layer 1	90
Number of hidden layer 2	55
Number of hidden layer 3	35
Number of hidden layer 4	41
Number of output layers	6
Activation function	ReLU
Optimizer	lbfgs
Loss function	MSE
Evaluation indicator	MSE and $R^2$

with a dynamic environment to maximize the desired outcomes. Indeed, the RL model can be treated as a feedbackdriven system where the learner's actions directly shape subsequent environmental states, as shown in Fig. 1.<sup>50</sup> Within this paradigm, the agent (the learning entity) interacts with the environment (the external system), observing the state of environment ( $s_t$ ), choosing an action a(t) to reach a new state ( $s_{t+1}$ ), and receiving rewards r(t) that evaluate the action's efficacy. These rewards guide the agent's behavior, enabling it to iteratively refine its policy,  $\pi(a|s)$ , to maximize long-term rewards.

In this work, we designed such RL agents, to identify the optimal SR and minimum EC by dynamically adjusting five operational parameters. The agent was trained using the PPO algorithm built on the AC framework (see Fig. S3†), which performs effectively within the continuous data space.<sup>51</sup> More details can be found in our previous work.<sup>40</sup> By employing trajectory visualization techniques, we analyzed the agent's decision-making process to derive optimal performance regulation strategies. The detailed parameters of the RL model are listed in Table S5.<sup>†</sup>

## 3. Results

#### 3.1 Evaluation of SL models

We first calculated the  $R^2$  and MSE values for the training and test datasets separately, to check for overfitting, as shown in Tables 2 and 3. The average  $R^2$  values of the SL models in the training dataset were found to be 0.99074 for ANN, 0.992938 for RT and 0.975533 for SVR, respectively. The average  $R^2$ values of the SL models in the test dataset were found to be 0.976285 for ANN, 0.870211 for RT and 0.944651 for SVR, respectively. For MSE, its average values in the training dataset were identified as 0.0005765 for ANN, 0.001974 for RT and 0.001522 for SVR, respectively. In the test dataset, its average

**Table 2**  $R^2$  values for the training and test datasets

values were identified as 0.002304 for ANN, 0.008738 for RT and 0.003072 for SVR, respectively. The  $R^2$  and MSE values in the training dataset are very close to those in the test dataset so the SL models are not overfitting. On the other hand, the performance of these three algorithm models followed the order ANN > SVR > RT; thus, the ANN model was then chosen as the SL algorithm for the prediction model.

The ANN model's performance was evaluated by comparing its predicted values with the actual (experimental) values for the performance (conversion, yield, SR and EC), as shown in Fig. 2 and 3. The ANN prediction model shows very good accuracy through the entire dataset, achieving an  $R^2$  value consistently higher than 0.96. This demonstrates that the ANN model is able to predict the plasma-based conversion of CO2 and CH<sub>4</sub>, providing a robust basis for further developing the RL model. To further validate the ANN model's generalizability, i.e., the robustness and adaptability of the model, we performed additional experiments using new operating parameters within the investigated ranges  $(CO_2/CH_4 \text{ ratio} = 1.9,$  $H_2O$  fraction = 0%, plasma power = 89 W, total flow rate = 1 L  $\min^{-1}$  and O<sub>2</sub> fraction = 0–15%). As presented in Fig. S4,† the model's predictions on unseen data align well with the actual (experimental) data, thereby confirming its reliability.

# 3.2 Relative importance of the input parameters, and relationship with the output parameters

The relative importance of each input parameter and the correlation between operating parameters and performance parameters are demonstrated in Fig. 4 and Table 4. The most important input parameter is the total flow rate, at least for  $CO_2$  conversion (50.1%),  $CH_4$  conversion (40.1%) and CO yield (39.6%). Furthermore, the  $O_2$  fraction is the most important parameter for EC (45.8%), while the  $H_2O$  fraction mostly influences the SR (26.9%), and the  $CO_2/CH_4$  ratio mostly affects the  $H_2$  yield (53.7%). Finally, the plasma power has only a minor

$R^2$ of dataset	Model	$CO_2$ conversion	CH <sub>4</sub> conversion	CO yield	H <sub>2</sub> yield	Syngas ratio	Energy cost
Training dataset	ANN	0.991935	0.994513	0.985646	0.986781	0.998768	0.986781
8	RT	0.993787	0.998650	0.999061	0.988424	0.996950	0.980756
	SVR	0.966463	0.972702	0.965130	0.954324	0.999210	0.995366
Test dataset	ANN	0.961925	0.955161	0.975608	0.983460	0.998026	0.983534
	RT	0.819299	0.758787	0.829638	0.911105	0.982471	0.919968
	SVR	0.921932	0.919021	0.900590	0.949489	0.997871	0.979004

 Table 3
 MSE values for the training and test datasets

MSE of dataset	Model	CO <sub>2</sub> conversion	$CH_4$ conversion	CO yield	H <sub>2</sub> yield	Syngas ratio	Energy cost
Training dataset	ANN	0.000413	0.000187	0.000487	0.000477	0.000336	0.001559
0	RT	0.000296	0.000064	0.000047	0.000462	0.000833	0.010143
	SVR	0.001600	0.001297	0.001757	0.001822	0.000216	0.002442
Test dataset	ANN	0.002189	0.002203	0.002101	0.002215	0.000506	0.004607
	RT	0.007287	0.006979	0.007470	0.003807	0.004496	0.022393
	SVR	0.003148	0.002343	0.004359	0.002163	0.000546	0.005875
Test dataset	ANN RT SVR	0.002189 0.007287 0.003148	0.002203 0.006979 0.002343	0.002101 0.007470 0.004359	0.002215 0.003807 0.002163	0.000506 0.004496 0.000546	0.004607 0.022393 0.005875



Fig. 2 Predicted data versus experimental results (R<sup>2</sup> plot). (a) CO<sub>2</sub> conversion; (b) CH<sub>4</sub> conversion; (c) CO yield; (d) H<sub>2</sub> yield; (e) syngas ratio; and (f) energy cost.

impact on all performance parameters, except for the SR. These results will be discussed in section 4 below.

#### 3.3 Evaluation of the RL model

The investigated range of the five input parameters is as follows:  $CO_2/CH_4$  ratio (0.33–5.67),  $O_2$  fraction (0–15%),  $H_2O$  fraction (0–45%), power (71.7–400.4 W) and total flow rate

 $(0.5-3 \text{ L min}^{-1})$ . The typical RL agent training results are shown in Fig. S5 of the ESI.<sup>†</sup> All RL calculations (*i.e.*, to obtain the optimal performance corresponding with the actions of agents) were performed within the investigated range.

Fig. 5 presents the testing curves of the RL models for  $CO_2$ and  $CH_4$  conversion, including their corresponding actions within the range of input parameters. The latter represents



**Fig. 3** Comparison of predicted values with available experimental data of plasma-based  $CO_2$  and  $CH_4$  conversion. (a) and (b)  $CO_2/CH_4$  ratio (plasma power = 96 W, total flow rate = 1 L min<sup>-1</sup>,  $O_2$  and  $H_2O$  fraction = 0%); (c) and (d)  $H_2O$  fraction (plasma power = 300 W, total flow rate = 3 L min<sup>-1</sup>,  $CO_2/CH_4$  ratio = 1,  $O_2$  fraction = 0%); (e) and (f)  $O_2$  fraction (plasma power = 96 W, total flow rate = 1 L min<sup>-1</sup>,  $CO_2/CH_4$  ratio = 1.9,  $H_2O$  fraction = 0%).

how the input parameters affect the evolution of the  $CO_2$  and  $CH_4$  conversion towards their optimal values. Fig. 5(a) and (b) illustrate that the  $CO_2$  conversion can reach its maximum value of 75.7% when the total flow rate first reaches its lower boundary (*i.e.* 0.5 L min<sup>-1</sup>), and then the plasma power reaches its upper boundary (*i.e.* 400.4 W), followed by the  $O_2$  fraction reaching its upper boundary (*i.e.* 15%). It is interesting

to note that the  $CO_2/CH_4$  ratio first increases and then decreases to an optimal value (the reason will be further discussed in section 4.2).

On the other hand, the  $CH_4$  conversion can reach its maximum value of 98% when the total flow rate first reaches its lower boundary (*i.e.* 0.5 L min<sup>-1</sup>), followed by the  $CO_2/CH_4$  ratio and  $O_2$  fraction reaching their upper boundary values (*i.e.* 



Fig. 4 Relative importance of the five different operating parameters for determining the  $CO_2$  and  $CH_4$  conversion, CO and  $H_2$  yield, SR and EC.

Paper

5.67 and 15%). As is clear from the relative importance in Table 4, the most important factor for the  $CO_2$  and  $CH_4$  conversion is the total flow rate, so the agent first optimizes this parameter. Because the values of relative importance of plasma power (14.2%) and  $O_2$  fraction (15.0%) are very close to each other for the  $CO_2$  conversion, the agent optimizes them as the following (second and third) parameters. The optimal policy with factors of similar relative importance (plasma power,  $O_2$  fraction and  $CO_2/CH_4$  ratio) is also applied to the  $CH_4$  conversion.

A similar regulation policy can be found in Fig. 6, which presents the time step-dependence of the CO and H<sub>2</sub> yield, with the corresponding actions. Fig. 6(a) shows that the CO yield can reach its maximum value of 71% when the total flow rate first reaches its lower boundary (*i.e.* 0.5 L min<sup>-1</sup>), followed by the O<sub>2</sub> fraction and CO<sub>2</sub>/CH<sub>4</sub> ratio reaching their upper boundary values (*i.e.* 15% and 5.67) (Fig. 6(b)), respectively. On the other hand, the H<sub>2</sub> yield can reach its maximum value of 65% when the CO<sub>2</sub>/CH<sub>4</sub> ratio first reaches its lower boundary (*i.e.* 0.33), followed by the total flow rate and O<sub>2</sub> fraction reaching their lower boundary values (*i.e.* 0.5 L min<sup>-1</sup> and 0%) (Fig. 6(d)). The two less important factors, *i.e.* plasma power and H<sub>2</sub>O fraction, can reach their upper boundary and lower boundary values (*i.e.* 400.4 W and 0%), respectively.

The testing curve of the RL models for the SR and EC, with the corresponding actions, is presented in Fig. 7. From Fig. 7(a) and (b), we can see that the SR can reach its maximum value of 2.2 when the H<sub>2</sub>O fraction first reaches its upper boundary (*i.e.* 45%), followed by the CO<sub>2</sub>/CH<sub>4</sub> ratio reaching its lower boundary (*i.e.* 0.33), while the O<sub>2</sub> fraction is the last to reach its lower boundary (*i.e.* 0%). The EC can reach its minimum value of 1 eV per molecule when the O<sub>2</sub> fraction reaches its upper boundary (*i.e.* 15%), followed by the CO<sub>2</sub>/ CH<sub>4</sub> ratio reaching its lower boundary (*i.e.* 0.33). Note that the H<sub>2</sub>O and O<sub>2</sub> fractions yield a trade-off between the SR and EC.

In addition to separately investigate the SR and EC, we need a comprehensive understanding of the effect of all operating parameters for optimizing both performance metrics of

Output	1 <sup>st</sup> IF	2 <sup>nd</sup> IF	3 <sup>rd</sup> IF	$4^{ m th}$ IF
CO <sub>2</sub> conversion	Flow (50.1%)	O <sub>2</sub> frac. (15.0%)	Power (14.2%)	Ratio (13.1%)
	(-)	(+)	(+)	$(\nearrow \searrow)$
CH <sub>4</sub> conversion	Flow (40.1%)	$O_2$ frac. (17.0%)	Power (16.6%)	Ratio (16.0%)
	(-)	(+)	(+)	(+)
CO vield	Flow (39.6%)	$O_2$ frac. (28.0%)	Ratio (21.9%)	$H_2O$ frac. (5.4%)
5	(-)	(+)	(+)	(_)
H <sub>2</sub> vield	Ratio (53.7%)	Flow (16.4%)	$O_2$ frac. (15.8%)	$H_2O$ frac. (9.5%)
25	(-)	(-)	(-)	(-)
Syngas ratio	$H_{2}O$ frac. (26.9%)	Ratio (25.2%)	Power (23.9%)	Flow (19.8%)
	(+)	(-)	(-)	$(Z \Sigma)$
Energy cost	$\Omega_{2}$ frac (45.8%)	Ratio (38 5%)	Flow (12.4%)	$H_{2}O$ frac (1.7%)
Energy cost	(_)	(+)	(+)	(+)
	()	(')	())	()

Table 4 Relative importance of the different input parameters for determining the various output parameters

Abbreviations used in the table: important factor (IF),  $O_2$  fraction ( $O_2$  frac.),  $H_2O$  fraction ( $H_2O$  frac.),  $CO_2/CH_4$  ratio (Ratio), total flow rate (Flow) and plasma power (Power). Positive factor and negative factor are represented by (+) and (-), respectively. When the output parameter first increases and then decreases with rising input parameters, it is indicated as ( $\nearrow$ ).



Fig. 5 Testing curve of the RL models for (a)  $CO_2$  conversion and (c)  $CH_4$  conversion, by plotting them against the time step, as well as the corresponding actions (b) and (d). The *y*-axis representing the input parameters (for (b) and (d)) shows the normalized values, with 0 and 1 being the lower and upper boundary values, respectively.



Fig. 6 Testing curve of the RL models for (a) CO yield and (c)  $H_2$  yield, by plotting them as a function of time step, as well as the corresponding actions (b) and (d). The y-axis representing the input parameters (for (b) and (d)) shows the normalized values, with 0 and 1 being the lower and upper boundary values, respectively.

plasma-based  $CO_2$  and  $CH_4$  conversion. To account for the practical need in applications, we present in Fig. 8 the superposition of SR and EC for different weights (*i.e.*, relative impor-

tance of SR vs. EC, equal to 0.5, 1 and 2, as an example), with the corresponding actions. The convergence trends of SR and EC are similar, but their optimal values depend on the weights



**Fig. 7** Testing curve of the RL models for (a) syngas ratio and (c) energy cost, by plotting them as a function of time step, as well as the corresponding actions (b) and (d). The *y*-axis representing the input parameters (for (b) and (d)) shows the normalized values, with 0 and 1 being the lower and upper boundary values, respectively.

(for weight = 0.5,  $SR_{max} = 1.33$  and  $EC_{min} = 1.04$  eV per molecule; for weight = 1,  $SR_{max} = 1.76$  and  $EC_{min} = 1.23$  eV per molecule; and for weight = 2,  $SR_{max} = 1.88$  and  $EC_{min} = 1.36$  eV per molecule). Hence, at a higher weight of SR *vs.* EC, a higher maximum SR and a higher minimum EC are reached, and *vice versa*, at a lower weight of SR *vs.* EC, a lower maximum SR and a lower minimum EC are reached. With increasing weight, the optimal H<sub>2</sub>O fraction increases, while the optimal O<sub>2</sub> fraction decreases, which corresponds with the results of the separate SR and EC optimization, and it is in line with our expectations, because the H<sub>2</sub>O fraction is more important for optimizing the SR, while the O<sub>2</sub> fraction is more important for optimizing the EC. Moreover, the total flow rate can reach its upper boundary and the CO<sub>2</sub>/CH<sub>4</sub> ratio can reach its lower boundary for the optimization of all weighted superpositions.

### 4. Discussion

#### 4.1 Optimal policy developed by the RL model

Through an analysis of the relative importance of input parameters in governing the output parameters (Table 4), we derived two optimization strategies, summarized in Table 5. First, the agent's actions on the input parameters correspond to their observed directional influence on the output parameters. To maximize the reaction performance, parameters with positive correlations reach their upper bounds, while parameters with negative correlations reach their lower bounds. Parameters exhibiting non-monotonic relationships

(*i.e.*, those where performance first increases (decreases) and then decreases (increases)) are optimized at intermediate values. To minimize the EC, the O2 fraction should reach its upper bound and the H<sub>2</sub>O fraction should reach its lower bound, since the EC decreases with increasing O<sub>2</sub> fraction and decreasing H<sub>2</sub>O fraction. Second, the RL model reveals the optimal policy (regulation sequence): the agent prioritizes coarse adjustments to high-impact parameters then fine-tunes low-impact ones, to obtain the maximum rewards, *i.e.*, achieve the maximum reaction performance and minimum EC. Considering that the relative importance of some input parameters are very close to each other (their difference is lower than 1%), we can conclude that the regulation sequence exhibits good agreement with the predicted importance results. This indicates that the RL agent can make rational, humanlike decisions when managing complex interactions among parameters.

# 4.2 Explanation of the effect of the various input parameters, for DRM, BRM and OCRM

Changing the  $CO_2/CH_4$  input ratio has a different impact on  $CO_2$  conversion in the DRM *vs.* BRM reaction. In the absence of  $H_2O$ , the  $CO_2$  conversion decreases with increasing  $CO_2/CH_4$  ratio (pure DRM). However, in the presence of  $H_2O$ , the  $CO_2$  conversion increases with increasing  $CO_2/CH_4$  ratio (hence showing the opposite pattern for BRM). This interesting phenomenon can be explained by the water–gas shift (WGS) reaction and Le Chatelier's principle.<sup>26</sup> The WGS reaction acts as a side reaction, for both DRM and BRM, *i.e.*,  $H_2O + CO \rightarrow$ 



**Fig. 8** Superposition of the syngas ratio and energy cost, showing the best trade-offs (a, c and e), and the corresponding actions of the five input parameters (b, d and f), for different weights, *i.e.*, relative importance of SR vs. EC: weight = 0.5 (a) and (b); weight = 1 (c) and (d); weight = 2 (e) and (f).

Table 5	Regulation	sequence of	various input	parameters	within th	eir range
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Objectives	1 <sup>st</sup> order	2 <sup>nd</sup> order	3 <sup>rd</sup> order	4 <sup>th</sup> order
$CO_2$ conversion $\uparrow$	Flow $(\downarrow)$	Power $(\uparrow)$	$O_2$ frac. ( $\uparrow$ )	Ratio (optimal)
$CH_4$ conversion $\uparrow$	Flow (↓)	Ratio $(\uparrow)$	$O_2$ frac. ( $\uparrow$ )	Power (†)
CO yield ↑	Flow (↓)	$O_2$ frac. ( $\uparrow$ )	Ratio (↑)	Power $(\uparrow)$
$H_2$ yield $\uparrow$	Ratio $(\downarrow)$	Flow $(\downarrow)$	$O_2$ frac. ( $\downarrow$ )	$H_2O$ frac. ( $\downarrow$ )
Syngas ratio ↑	$H_2O$ frac. ( $\uparrow$ )	Ratio $(\downarrow)$	Power $(\downarrow)$	Flow (optimal)
Energy cost ↓	$O_2$ frac. ( $\uparrow$ )	Ratio $(\downarrow)$	Flow $(\uparrow)$	$H_2O$ frac. ( $\downarrow$ )

Abbreviations used in the table:  $O_2$  fraction ( $O_2$  frac.),  $H_2O$  fraction ( $H_2O$  frac.),  $CO_2/CH_4$  ratio (Ratio), total flow rate (Flow) and plasma power (Power). When the factors reach their upper and lower bounds, they are represented by ( $\uparrow$ ) and ( $\downarrow$ ), respectively. The expected objective is to maximize the reaction performance and minimize the EC, which is represented by ( $\uparrow$ ) and ( $\downarrow$ ), respectively.

 $H_2 + CO_2$ , as reported in the literature.<sup>52,53</sup> At high  $H_2O$  fraction (45 vol%) and very low  $CO_2$  fraction (*e.g.* 14 vol% at the lowest  $CO_2/CH_4$  input ratio), this side reaction is heavily promoted following Le Chatelier's principle, and it leads to less  $CO_2$  and more  $H_2O$  being converted. The opposite is observed

in the case of only  $CO_2$  and  $CH_4$  and no  $H_2O$  in the input stream. Here, the  $CO_2$  fraction in the mixture decreases from 85 to only 65 vol%, so it remains quite high, while the produced amount of  $H_2O$  is not that high. Together with the increased amount of  $H_2$ , produced from  $CH_4$ , the "reverse" WGS reaction will be promoted, leading to even more  $CO_2$  conversion and  $H_2O$  production. It should be noted that the exact chemistry will be more complex than this simple reasoning, and changing temperature upon changing the  $CO_2/CH_4$  ratio might also play a role.<sup>53</sup> However, the above simple reasoning can explain some of the observed trends.

In terms of yields and production rates, decreasing the  $CO_2/CH_4$  ratio will reduce the CO yield and increase the  $H_2$  yield; this is attributed to the enhanced conversion rate of  $CH_4$  and  $H_2O$ , alongside the reduced  $CO_2$  conversion rate at a lower  $CO_2/CH_4$  ratio.<sup>26</sup> On the other hand, the production rates of CO and  $H_2$  increase with decreasing  $CO_2/CH_4$  ratio. Therefore, the SR rises to 2.03 at  $CO_2 : CH_4$  ratio of 0.33, more than twice the value observed at a ratio of 1.86, which is the best result in our current dataset.

Overall, the H<sub>2</sub>O fraction has low impact (its relative importance is less than 11%) and it negatively affects the reactant conversions and product yields, which has also been observed in other works.<sup>52,54,55</sup> However, it has a significant positive effect on the SR, which rises upon H<sub>2</sub>O addition. In addition, the H<sub>2</sub>O fraction obviously reduces the conversion rate for both CO<sub>2</sub> and CH<sub>4</sub>, when these components are fed at lower flow rates.<sup>26</sup> The rate of H<sub>2</sub> production also declines, but this is slight because additional hydrogen is being produced from H<sub>2</sub>O plasmolysis. In the RL model result, we can also observe that the CO<sub>2</sub>/CH<sub>4</sub> ratio reaches its lower boundary (*i.e.*, the  $CO_2$  input fraction is decreased). Based on the BRM reaction equation  $(CO_2(g) + 2H_2O(l) + 3CH_4(g))$  $\Rightarrow$  4CO(g) + 8H<sub>2</sub>(g)), the CH<sub>4</sub> fraction should indeed increase further, to achieve an SR reaching 2. Therefore, the addition of  $H_2O$  has been shown to be advantageous, particularly when the CO<sub>2</sub>/CH<sub>4</sub> ratio is reduced at the same time. In addition, adding water helps enhance plasma stability in situations where excess soot would otherwise be generated, which has been confirmed by previous works.54-57

The O<sub>2</sub> fraction typically results in a more stable plasma because of the improved oxidation of solid carbon generated from CH<sub>4</sub> decomposition,<sup>58</sup> alongside a greater conversion of all reactants, but has a less valuable product output (SR). The SR declines as the O2 fraction rises, because the production of H2O from CH<sub>4</sub> and O<sub>2</sub> limits the amount of available hydrogen necessary for  $H_2$  production. It should also be noted that a lower  $CO_2/$  $CH_4$  input ratio, combined with a higher  $O_2$  fraction, can reach a higher SR (but still lower than that in the case of  $H_2O$  addition) but it may lead to unstable plasma conditions because of excess solid carbon formation.<sup>24</sup> Furthermore, as mentioned above, a higher O<sub>2</sub> fraction is beneficial for both CH<sub>4</sub> and CO<sub>2</sub> conversion. The enhanced  $CH_4$  conversion with a higher  $O_2$  fraction can be attributed to an additional exothermic reaction pathway besides DRM, *i.e.*, the partial oxidation of  $CH_4$  with  $O_2$ , and by a higher gas temperature, due to the energy released by the reaction of O<sub>2</sub> with CH<sub>4</sub>. This higher gas temperature will also lead to a higher CO<sub>2</sub> conversion.<sup>59</sup>

#### 4.3 Critical view on the ML results

Data-driven ML models can accurately learn from a complete dataset to identify complex trends. For instance, a higher  $CO_2/$ 

 $CH_4$  ratio enhances the  $CO_2$  conversion in the presence of  $H_2O$  (BRM reaction), while it reduces the  $CO_2$  conversion in the absence of  $H_2O$  (DRM reaction), so it should have an optimal value, rather than an upper boundary or lower boundary across the entire dataset, to maximize the  $CO_2$  conversion. We believe this observation, combined with Le Chatelier's principle described in section 4.2, is a logical explanation for the ML results.

However, ML can also lead to generating wrong results, due to the limited data, even though it may identify the correct trends. The total flow rate is the most important (negative) factor for the conversion of CO<sub>2</sub> and CH<sub>4</sub>, as well as for the CO yield, based on the SL (ANN) prediction, which is in line with the literature.<sup>39</sup> From a chemical perspective, this trend is attributed to a reduced residence time of the reactant gases in the discharge zone at an elevated total flow rate, which diminishes the chances of collisions between the reactants (CH<sub>4</sub> and CO<sub>2</sub>) and active species, such as energetic electrons, excited species, and radicals (e.g., CH<sub>x</sub>, O, and H). This, in turn, leads to reduced CO2 and CH4 conversion, resulting in lower CO and H<sub>2</sub> yields. However, it should be noted that the training data set related to the total flow rate is quite limited. Minor data changes can therefore lead to dramatic changes in the predictions of conversion, by the SL model. In other words, the fact that the total flow rate is identified as the most important factor might be influenced by slight data variations. Overfitting countermeasures such as early stopping may improve, though a larger and more diverse dataset may be the only remedy. This indicates that the results obtained from ML should be critically analyzed.

The ML results also require a comprehensive, human analysis towards the practical application of APGD plasma reactors, based on prior knowledge. As mentioned before, the SR ideally reaches 2 for methanol production, which means that SR is our primary goal, rather than EC. Although the optimal results of the weighted superposition predicted by the RL model (i.e., SR of 1.88 with superior EC of 1.36 eV per molecule, at SR/EC weight of 2) seems mathematically better than the best experimental data (SR of 2.03 and EC of 2.22 eV per molecule), the predicted SR is still lower than 2, so it is not quite optimal for methanol production. We already know that the APGD is promising for its low EC, so we are willing to sacrifice the lower EC result to obtain a higher SR for application in methanol synthesis. To be competitive with other existing technologies producing syngas, Snoeckx and Bogaerts proposed a target value of 4.3 eV per (molecule converted) (i.e., 412 kJ mol<sup>-1</sup>) for plasma-based DRM (i.e., EC for conversion<sup>11</sup>), while we used EC for syngas production in our ML model development, allowing a fairer comparison between DRM, OCRM and BRM. Hence, if we transfer our result of EC (syngas) of 2.22 eV per molecule to EC (conversion), which is 3.85 eV per molecule (*i.e.*, 369 kJ mol<sup>-1</sup>), this value is still lower than the target of 4.3 eV per molecule mentioned above. Hence, the best experimental data are suitable for the practical needs of further methanol production, because these conditions yield an SR of 2.03 and an EC below the proposed

target. Our ML analysis predicts other conditions as optimal, because of the lower EC, but somewhat lower SR, hence not yet ideal for further methanol synthesis, probably because the defined weight (of SR *vs.* EC) of 2 was not yet high enough.

Therefore, we also performed extra RL simulations with a higher weight (of SR vs. EC) equal to 3 and 5, which led to a higher maximum SR and minimum EC, as shown in Fig. 9, as expected. It is interesting to see that the RL simulations with (SR/EC) weight of 5 yield a maximum SR of 2.12 and a minimum EC of 2.04 eV per molecule (*i.e.*, 352 kJ mol<sup>-1</sup>), which is close to the best experimental results, at the same operating conditions (H<sub>2</sub>O fraction of 45% and O<sub>2</sub> fraction of 0%). This illustrates it is possible to predict optimal values very close to the actual, experimental optimal data, and under the same experimental conditions, when selecting a suitable weight. Since we don't know in advance the exact weight needed to obtain the best SR in combination with EC, this illustrates that ML still needs human interpretation, when used over varying datasets.

#### 4.4 ML model compared with other modelling methods

Compared to existing ML methods, this work developed a consistent ML method across different datasets (DRM, OCRM and BRM reactions), with high accuracy and adaptivity, achieving optimization on multi-performance metrics, as shown in Table 6.

It should be realized that these ML methods do not provide mechanistic insights into the reaction kinetics and transport phenomena underlying the performance metrics. For this purpose, computational fluid dynamics and chemical kinetics models are needed. Such models have been developed in the past for the reactions under study. For instance, a quasi-one dimensional (quasi-1D) chemical kinetics model was developed to describe the plasma chemistry of DRM in the APGD plasma reactor studied in this work.<sup>23</sup> Furthermore, a sophisticated, fully coupled multi-dimensional model, consisting of a 2D axisymmetric plasma fluid dynamics model, a 3D gas flow model and a 0D detailed plasma chemistry model, was devel-



**Fig. 9** Superposition of the syngas ratio and energy cost, showing the best trade-offs (a and c), and the corresponding actions of the five input parameters (b and d), for different weights, *i.e.*, relative importance of SR vs. EC: weight = 3 (a) and (b); weight = 5 (c) and (d).

Aspects	ML method used in this work	Existing ML method <sup>32,33</sup>
Training dataset	Dataset from multiple reactions	Dataset from single reaction
Model type	Hybrid ML (SL + RL) method	SL method
Performance	Accurate $(R^2 > 0.96)$	Accurate $(R^2 > 0.98)$
Application	Static prediction + dynamic optimization	Static prediction
Outcome	Multi-objective optimization	Single-objective prediction

Table 7 Comparison of the developed data-driven ML models and mechanistic models

Aspects	Data-driven ML models	Mechanistic models
Purpose	Real-time optimization and control	Revealing underlying mechanisms
Data needs	High (experimental data)	Low (input data limited to reactor geometry and operating conditions; everything else can be calculated)
Accuracy	High (within data domain)	High (with full physics and chemistry)
Computational cost	Low (available training data)	High (simulation time)
Interpretability	Low (black box)	High (insights in underlying mechanisms)

oped for OCRM in the APGD.<sup>59</sup> While a quasi-1D chemical kinetics model still needs to make assumptions on the gas flow in the plasma reactor, a fully coupled multi-dimensional model takes into account all relevant processes, including gas-flow dynamics, plasma behavior, transport of species and plasma chemistry, and is therefore very powerful. It can even predict improved plasma reactor designs. Hence, these models can provide insights into the underlying physics and chemistry, but on the other hand, they require significant computational resources and expertise. In Table 7 we compare the characteristics, strengths and limitations of our data-driven models with such mechanistic models.

#### 4.5 ML applied to plasma-based gas conversion

Our SL method offers accurate prediction based on the dataset domain (*i.e.*, the available data within the investigated range), but the RL results give somewhat different optimization outcomes when based on a single objective than the experiments. According to our RL model, the optimal EC can reach as low as 1 eV per molecule when the  $CO_2/CH_4$  ratio reaches 0.33, while the minimum EC in the current dataset was 1.26 eV per molecule (*i.e.*, 180 kJ mol<sup>-1</sup>) when the  $CO_2/CH_4$  ratio reaches 0.75 at the same  $O_2$  fraction.

Ideally, the ML method is used to predict improved conditions based on limited experimental data, which are then tested experimentally, and indeed confirm that better results are reached under these new conditions. It should however be noted that such predicted conditions should fall within the dataset domain, to be more reliable. Indeed, the optimal value identified by the RL results would agree with the optimal experimental data if the RL model was trained on the dataset in the whole investigated range. However, it is much more difficult to cover a whole dataset when combining different reactions (i.e., DRM, OCRM and BRM), which explains the discrepancies between predicted and experimental results. For instance, the RL model results for EC prediction can be accurate within the dataset domain (i.e., CO<sub>2</sub>/CH<sub>4</sub> ratio ranging from 0.75 to 1.9 in the presence of  $O_2$ ). When the same model is employed to predict the values outside the dataset domain  $(CO_2/CH_4$  ratio between 0.33 and 0.75 in the presence of  $O_2$ ), the RL results based on the pattern learned within the dataset domain may not be reliable. Considering that the CO<sub>2</sub>/CH<sub>4</sub> ratio, O<sub>2</sub> fraction and H<sub>2</sub>O fraction show near-linear trends toward the output variables within the dataset domain, which are consistent with those outside the dataset domain, our RL model results can still provide an optimization policy (*i.e.*, the regulation sequence on input parameters, as discussed in section 4.1) and qualitative analysis on experimental results based on the actions of agents. As the  $CO_2/CH_4$  ratio is the negative factor for the EC, the optimal EC should be lower than the minimum value from the current dataset. Quantitative validation of the optimal results should be further tested by experiments.

ML is promising for prediction, within the dataset domain, but several challenges need to be addressed. As presented here, a sufficient amount of data across a broad range of testing conditions is required to ensure the robustness and relevance of the ML models. When comparing different reactions (although they are the same type), it is crucial to analyze their reaction performance in a consistent and fair manner. In addition, ML models cannot be used to explain the fundamental reaction mechanisms, so the interpretability of ML models can be limited, emphasizing the necessity of prior knowledge in evaluating ML results. As ML models are purely data-driven methods, they can only provide mathematically optimal results, but care should be taken to make smart decisions for practical applications, as illustrated in the previous section for the relative importance of SR vs. EC (where SR might be more important for further methanol synthesis, if the EC is already acceptable).

Plasma-based gas conversion is a booming research field and more data are expected to become available in the coming years, which is important for enhancing the applicability of ML models. Indeed, it should be stressed that the size of the datasets needed to make ML useful and powerful is an open question to be investigated. Although combining various datasets extends the size of the dataset, it may impact the reliability of ML, while such an imperfect dataset is indeed a realistic scenario in experimental data collection. On the other hand, hybrid algorithms are under investigation for their use in developing accurate and reliable ML models, to be applied to various datasets. We believe this is a promising avenue for future ML research.

## 5. Conclusions

We developed a uniform, hybrid ML (SL and RL) model to predict and optimize plasma-based  $CO_2$  and  $CH_4$  conversion. The SL model utilizes a typical ANN algorithm for predicting reaction performance, reaching good agreement with the experimental data, indicated by  $R^2$  values close to 1 for all output parameters. The RL model for process optimization reveals that the optimal regulation policy on a single output

#### Paper

should prioritize coarse adjustments to high-impact parameters then fine-tuning low-impact ones. For the optimization of the syngas ratio (SR) and energy cost (EC), our RL model reveals that the H<sub>2</sub>O and O<sub>2</sub> fractions yield a trade-off between SR and EC. Furthermore, a CO<sub>2</sub>/CH<sub>4</sub> ratio of 0.33, H<sub>2</sub>O fraction of 45% and no O<sub>2</sub> fraction result in an SR of 2.12 and EC (syngas) of 2.04 eV per molecule (*i.e.*, 352 kJ mol<sup>-1</sup>), which is in close agreement with the best experimental dataset (when optimized for an SR of 2, towards methanol synthesis), demonstrating that the choice of weighting (for SR vs. EC) is very important. However, the optimal EC predicted by our RL models (around 1 eV per molecule) is lower than the best experimental results, due to the different data domains across the DRM, OCRM and BRM reactions. Therefore, our ML model provides new insights into facilitating the optimization of intricate nonlinear and dynamic systems, like those used in plasma-based gas conversion.

## Author contributions

Conceptualization, J.L. and A.B.; methodology & investigation, J.L., J. X. and B.W.; writing – original draft, J.L.; writing – review & editing, J.L., E.R. and A.B.; funding acquisition, J.L. and A.B.; supervision, A.B.

# Data availability

All data that support the findings of this study are included within the article (and any supplementary files<sup>†</sup>).

# Conflicts of interest

The authors declare that they have no known competing financial interests or personal relationships that could have appeared to influence the work reported in this paper.

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