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Title: Moduli spaces of hyperbolic 0-metrics

Abstract: A hyperbolic 0-metrics on a compact surfaces Σ with boundary $\partial\Sigma$ is a hyperbolic metric on the interior, with a boundary behaviour similar to that of the Poincaré metric on the upper half plane. We define the Teichmüller or Riemann moduli spaces of such metrics as quotients

$$\mathrm{Teich}(\Sigma) = \mathrm{Hyp}(\Sigma)/\mathrm{Diff}_0(\Sigma, \partial\Sigma), \quad \mathcal{M}(\Sigma) = \mathrm{Hyp}(\Sigma)/\mathrm{Diff}^+(\Sigma, \partial\Sigma),$$

where $\mathrm{Diff}^+(\Sigma, \partial\Sigma)$ are orientation preserving diffeomorphisms fixing the boundary, and $\mathrm{Diff}_0(\Sigma)$ is the identity component. We show that these spaces have natural symplectic structures, and are examples of Hamiltonian Virasoro spaces. Bases on joint wok with Anton Alekseev.